Does geospace exercise self control?

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The whole is greater than the sum of the parts. – Aristotle

... a *framework* based on the belief that the component parts of a system can best be understood in the context of relationships with each other and with other systems, rather than in isolation. – *Wikipedia*

A system is what a system is *doing*. And we had better not say what a system is.

– Tom Mandel

The overall name of these interrelated structures is system. The motorcycle is a system ... a system of concepts worked out in steel. There's no part in it, no shape in it that is not in someone's mind. I've noticed that people who have never worked with steel have trouble seeing this – that the motorcycle is primarily *a mental phenomenon*.

– Robert Pirsig

Zen and the Art of Motorcycle Maintenance

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The overall name of these interrelated structures is system. The magnetosphere is a system ... a system of concepts worked out in plasma. There's no part in it, no shape in it that is not in someone's mind. I've noticed that people who have never worked with plasmas have trouble seeing this – that the magnetosphere is primarily a mental phenomenon.

- Motorcycle-Magnetosphere Equivalency

Zen and the Art of Magnetosphere Maintenance

holistic → integration, synthesis

framework → relational

doing → behavioral

mental → conceptual

Geospace System III Coupled SW, Magnetosphere, Ionosphere, Thermosphere

Limits

- M_A , $\beta >> 1$ (HD) - ∇P dominant
- M_A, β > 1 (MHD)
 j×B dominant



$$j_{\downarrow} = -B \int_{s}^{n} \nabla \cdot j_{\downarrow} \frac{ds}{B}$$

$$j_{\Box} = B \int_{s}^{n} \rho \frac{d}{dt} \frac{\Omega_{\Box}}{B} \frac{ds}{B}$$

$$j_{\Box} = -\nabla \cdot \overline{J}_{p}$$

$$MCHETOSPHERE$$

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$$MCHETOSPHERE$$

$$j_{\Box} = \nabla \cdot \overline{\Sigma} \cdot \overline{E}_{PC}$$

$$MCHETOSPHERE$$







Outflow Mechanics

guiding center equations $(\varepsilon \Box v_{\perp} / \omega_c \ell \Box 1 / \omega_c \tau \Box 1)$



 $D_t \equiv \frac{\partial}{\partial t} + (v_{\Box}\vec{b} + \vec{v}_E) \cdot \nabla, \quad \vec{v}_E = \vec{E} \times \vec{b} / B$



Empirical Model for Ionospheric Outflow

FAST data near 4000-km altitude in the low-altitude cusp



Strangeway et al. 05; Zheng et al. 05

St Stor-Br Sienu latits low



O+ Outflow Number Flux





DC Poynting Flux



EM Power In O⁺ Flux Out



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$$J_{\Box} = B \int_{s}^{n} \rho \frac{d}{dt} \frac{\Omega_{\Box}}{B} \frac{ds}{B}$$

$$j_{\Box} = -\nabla \cdot \mathbf{j}_{v}$$

$$MGNETOSPHERE$$

$$\mathbf{j}_{P} = \nabla \cdot \mathbf{\hat{\Sigma}} \cdot \mathbf{\hat{E}}_{PC}$$

$$MOSPHERE$$

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$$MOSPHERE$$

$$\mathbf{j}_{P} = \nabla \cdot \mathbf{\hat{\Sigma}} \cdot \mathbf{\hat{E}}_{PC}$$

$$MOSPHERE$$

$$\mathbf{j}_{PC} \rightarrow \Phi_{PC}$$

$$\mathbf{j}_{PC} = -\nabla \cdot \mathbf{\hat{D}}_{RC}$$

Storm-Driven Outflow

No outflow

O⁺ outflow



XZ plane, GSE coordinates

Convection

No outflow

O⁺ outflow



equatorial plane, SM coordinates

Fractional O+ Pressure



Ring Current

No outflow





O⁺ outflow

equatorial plane, SM coordinates

$$\begin{aligned} \mathbf{j} &= -B_{\mathbf{y}}^{n} \nabla \cdot \mathbf{j}_{\mathbf{y}} \frac{ds}{ds} \\ \mathbf{j}_{\mathbf{y}} &= B_{\mathbf{y}}^{n} \rho \frac{d}{dt} \frac{\Omega_{\mathbf{y}}}{B} \frac{ds}{B} \\ \mathbf{j}_{\mathbf{y}} &= B_{\mathbf{y}}^{n} \rho \frac{d}{dt} \frac{\Omega_{\mathbf{y}}}{B} \frac{ds}{B} \\ \mathbf{j}_{\mathbf{y}} &= \mathbf{j}_{\mathbf{y}} \times \left[\rho \frac{d}{dt} \mathbf{v} + \nabla P \right] \\ \mathbf{j}_{\mathbf{y}} &= \nabla \cdot \mathbf{j}_{\mathbf{y}} \\ \mathbf{j}_{\mathbf{y}} \\ \mathbf{j}_{\mathbf{y}} &= \nabla \cdot \mathbf{j}_{\mathbf{y}} \\ \mathbf{j}_{\mathbf$$

Vorticity ($\Omega_{||}/B$)

O⁺ outflow

No outflow

equatorial plane, SM coordinates

How do J_{\perp} and $J \times B$ in the magnetosheath change when outflow is added?



Magnetosheath J_{\perp} , $J \times B$ decrease with outflow

- flow diversion away from stagnation region is diminished
- more magnetic flux is reconnected
- reconn. potential,
 CPCP are larger



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equatorial plane, SM coordinates

Dayside Reconnection Line

LFM simulation

V = 400 km/s $n = 5 \text{ cm}^{-3}$ $C_s = 40 \text{ km/s}$ $B_z = -5 \text{ nT}$ $\Sigma_p = 5 \text{ mhos}$

Color-coded density with streamlines

Lopez et al. 2009



Comparison of Φ_{rec} with Φ_{PC}



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MI Interaction

With O⁺ Outflow

- CPCP \uparrow
- Hemispheric FAC \downarrow
- Dayside mean conductance \downarrow
- Precipitating electron power \downarrow
- Ionospheric Joule diss. \downarrow



Key Points

- Geospace exercises (some) self control
- Thermosphere-ionosphere actively responds to magnetosphere
- Ionospheric outflows modify
 - magnetotail state
 - upstream state
 - inner magnetosphere
- Understanding this behavior requires system thinking

Geospace System Focus Group?

Icebreaker 10:30-12:00 AM today, Erickson Room

"Penetration" electric fields John Foster

 Magnetospheric-ionospheric plasma circulation Frank Toffoletto

 Reconnection and transpolar potentials *Slava Merkin*

 Global oscillation, periodicity, sawtooth phenomena Joe Borovsky